

The list-Ramsey threshold

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Given a family of graphs $\mathcal{H}$ and an integer r , we say that a graph is r -Ramsey for $\mathcal{H}$ if any r -coloring of its edges admits a monochromatic copy of a graph from $\mathcal{H}$. The threshold for the classic Ramsey problem, where $\mathcal{H}$ consists of one graph, was located in the work of Rödl and Ruciński. In this talk we will offer a twofold generalization to this theorem: showing that the list-coloring version of the property has the same threshold, and extending this result for finite families $\mathcal{H}$. This also confirms further special cases of the Kohayakawa–Kreuter conjecture.

Joint with Wojciech Samotij.